

# Econometrics 2 (Fall 2020)

## Homework 7: Panel Data.

Due Wednesday on Oct. 22, 2020.

This estimates a panel regression with fixed effects via FGLS. See Ostergaard, Sorensen and Yosha (JPE, 2002) for details on the model and estimation.

### Clean the data.

The data are real (1984) state level consumption (proxied by non-durable retail sales), and disposable personal income in logs.

### Estimate using FGLS.

#### Benchmark Estimation

The benchmark model is

$$\Delta \log(c_{it}) = \beta_0 + \beta_1 \Delta \log(y_{it}) + u_{it} .$$

The estimates and standard errors (in parenthesis) of  $\beta_0$  and  $\beta_1$ , respectively, are

#### Benchmark Estimation (With Time Fixed Effects).

The model is

$$\Delta \log(c_{it}) = \alpha_t + \beta_1 \Delta \log(y_{it}) + u_{it}$$

The estimate and standard error (in parenthesis) of  $\beta_1$  is

#### Risk Sharing Regression.

The model is

$$\Delta \log(c_{it}) - \Delta \log(C_t) = \beta_0 + \beta_1 (\Delta \log(y_{it}) - \Delta \log(Y_t)) + u_{it} .$$

The estimates and standard errors (in parenthesis) of  $\beta_0$  and  $\beta_1$ , respectively, are

#### Excess Sensitivity Regression (with Time Fixed Effects).

The model is

$$\Delta \log(c_{it}) = \alpha_t + \beta_1 \Delta \log(y_{it-1}) + u_{it} .$$

The estimate and standard error (in parenthesis) of  $\beta_1$  is

## **Excess Sensitivity Regression (Controlling for Aggregate Fluctuations).**

The model is

$$\Delta \log(c_{it}) - \Delta \log(C_t) = \beta_0 + \beta_1(\Delta \log(y_{it-1}) - \Delta \log(Y_{t-1})) + u_{it} .$$

The estimates and standard errors (in parenthesis) of  $\beta_0$  and  $\beta_1$ , respectively, are

## **Excess Smoothness Regression (with State Fixed Effects).**

The model is

$$\Delta \log(c_{it}) - \Delta \log(C_t) = \mu_i + \beta_1(\Delta \log(y_{it}) - \Delta \log(Y_t)) + u_{it} .$$

The estimate and standard error (in parenthesis) of  $\beta_1$  is

## **Excess Smoothness Regression (with State and Time Fixed Effects).**

The model is

$$\Delta \log(c_{it}) - \Delta \log(C_t) = \alpha_t + \mu_i + \beta_1(\Delta \log(y_{it}) - \Delta \log(Y_t)) + u_{it} .$$

The estimate and standard error (in parenthesis) of  $\beta_1$  is